

APPENDIX

TRANSCODE

The TRANSCODE system of routines consists of several parts:

I

One section, involving decimal-binary conversion and arithmetic operations on floating numbers, could actually be used independently of the remainder of the TRANSCODE system. This comprises the following routines, and full details are given under these titles elsewhere in the FERUT Library:- TC: DECINPUT, TC: ARITHMETIC and TC: DECOUT. However, these routines are automatically utilized in their TRANSCODE setting.

II

Another section consists of a pair of TC: INPUT routines, which interpret the tape controls, transferring the instructions and numbers, with some modification, to predetermined locations within the machine. CNST and NUMB controls automatically employ TC: DECINPUT.

III

A large section of the TRANSCODE system consists of routines which are called into play by ENTR. They translate the instructions as stored by TC: INPUT into the real machine code, and make all other necessary preparations for the final execution of the programme under the automatic control of the machine. It is actually in the translation of the QUIT instruction that all anticipated addresses in control transfers are inserted, and all other final preparations are made for switching over from the translating to the executing stage of the work. A ~~XX~~/L stop separates the two stages.

The FNTN input facility resorts to INPUT/T as a subroutine, and it is assumed that this is stored on tracks 4 and 5. All other necessary routines are peculiar to TRANSCODE.

The reader may be interested to know that, in the final analysis, the standard Toronto Scheme for changing routines and allocating data is employed. During the execution of the calculation, the electronic store is utilized as follows:-

S0 and S1 contain the current problem routines, and these assume that the FLOATER routines of TC: ARITHMETIC are on S4 and S5 is available on S2, and column I of S3 is used for the RCS/T link-list as well as for working space. The remainder of S3 is used for the Z-type numerical working space, S6 for the X-type, and S7 for the Y-type pages of numerical data.

Magnetic Storage

TRANSCODE

The TRANSCODE routines occupy 17 tracks. During its operation, TRANSCODE also requires 4 sets of consecutive working tracks. The working tracks are designated as follows:

t_1 as the first of n_1 consecutive tracks

t_2 " " n_2 "

t_3 " " n_3 "

t_4 " " n_4 "

where $(t_1)_L$, $(t_1+1)_L$, --- $(t_1+n_1-1)_L$ store the modified TC instructions to be translated,

t_1R stores the CNST's,

$(t_1+1)_R$ stores the untranslated addresses,

$(t_1+2)_R$ stores the final INDEX page,

$(t_1+3)_R$, $(t_1+4)_R$, --- $(t_1+n_1-1)_R$ store the TC directory of instruction numbers,

t_2 , (t_2+1) , --- (t_2+n_2-1) store the translated inst'ns, and also the FNTN101, FNTN102, ..., $(t_3)_L$, $(t_3+1)_L$, --- $(t_3+n_3-1)_L$ store DRUM consignments

$1,2,3$ --- $\frac{n_3}{2}$,

$(t_3)_R$, $(t_3+1)_R$, --- $(\frac{t_3+n_3-1}{2})_R$ store DRUM consignments

$(\frac{n_3}{2} + 1)$, --- n_3 .

t_4 stores FNTN 000, which is a TC routine required if KOPY is to be used.

t_4+1 , (t_4+2) , --- (t_4+n_4-1) store FNTN consignments

$1,2,3$ --- (n_4-1) .

Normal Track Assignments

Normally, all the TC routines except FNTN 000 will be assumed already stored on tracks TA to TA inclusive. A Toronto directory tape is preserved by the librarian for this purpose. If KOPY is required, the FNTN 000 tape should also be read in, and it will automatically go to track t_4 .

Also, it will normally be assumed that

$$t_1 = T/ , n_1 = 16 ,$$

$$t_2 = /E , n_2 = 16 ,$$

$$t_3 = TE , n_3 = 16 ,$$

$$t_4 = T@ , n_4 = 16 .$$

These working tracks are all specified in a page of INDICES, which is treated like one of the TC routines. A copy of this INDEX page is given so that any changes in t_1, t_2, t_3, t_4 or n_3 may be made as required.

INDICES for TRANSCODE

Available during TC₁: INPUT on S₅, " TC₂: Translation on S₂.

H	E	/	↓	SJ
---	---	---	---	----

	E	/		
	E	n ₃ ÷ 2		
K	A	\$R //		
$\frac{1}{2}A//$	D	///		
/C//	S	@ J //		
(t ₁) /N	I	TJ //		
(t ₂) R/	U	(t ₄) @/		
(t ₁ +3) DI	$\frac{1}{2}$	AJ //		
(t ₁ +3) EI	D	EJ //		
(t ₃ -1) //	R	AR //		
(t ₁ +1) DC	J	IJ //		
#	N	YJ //		
(t ₁ +1) EC	F	ER //		
	C	ZJ //		
	K	MR //		
	T	GJ //		
	Z	KJ //		
	L	OJ //		
	W	\$D //		
Working	H	CR //		
	Y	(t ₁ +2) D:		
Space	P	@D //		
	Q	UJ //		
	O	CJ //		
	B	WJ //		
	G	\$D\$D\$D\$D		
	E	//		
	M	/J //		
	X	(t ₁) EC		
	V	QR //		
	P	(t ₂) @/		

Tape Contents of FNTN Tape # KOPY output

Spaces	FNTN 0On	Spaces
K/ $\frac{1}{2}$ /	contents of first column as in Toronto system	
K/D/	" second	" "
K/R/	" third	" "
K/J/	" fourth	" "

KLU@ (check sum for cols. 1 and 2) C/R EQS KLU@ (Check sum for cols. 3 and 4) C/R EQS

(In write-taping,
RRR is also punched at the end of the last FNTN,
and the FNTN's are automatically numbered as 101,
102, 103 ---.)

Real Code Equivalents of TC addresses

X0n \equiv XF-3(n-1)
Y0n \equiv XK-3(n-1)
Z0n \equiv XU-3(n-1)
C0n \equiv XK-3(n-1)

and this is marked for special consideration during translation.

NUMB and CNST read in numbers, consecutively, to S4.
Storage is backward, beginning with [XD] 39 for
amplitude and [SD] 18 for 2^x (exponent). Translation
from floating decimal to floating binary takes place.
INST, with certain modifications, are read in to consecutive tracks via S4, 4 short lines per instruction.
A special transcode directory is built up in S3 during
translation, and stored on consecutive S3 tracks.
An entry in the form

[track] (machine address of first real instruction)]¹⁹

is made in this directory for each TC instruction.
QUIT avails itself of this directory for supplying the
untranslated addresses occurring in forward TRNS
instructions.

The last track to be used for the machine instructions can
quickly be determined by inspecting the last entry
made on S3 when the ~~##/E~~ stop is encountered. This
should not exceed the last track assigned for the
purpose.

	OVER $\alpha \cdot B_\alpha$ $0 \cdot 0$ $\gamma \cdot B_\gamma$	(α) $(T+B_\alpha)$ $\frac{1}{2}$	(γ) $(T+B_\gamma)$ $\frac{1}{2}$
	(α) $(T+B_\alpha)$ $\frac{1}{2}$	(γ) $(T+B_\gamma)$ $\frac{1}{2}$	($\alpha+1$) $(T+B_\alpha)$ $\frac{1}{2}$
	($\alpha+1$) $(T+B_\alpha)$ $\frac{1}{2}$	($\gamma+1$) $(T+B_\gamma)$ $\frac{1}{2}$	($\gamma+1$) $(T+B_\gamma)$ $\frac{1}{2}$
KOMP $\alpha \cdot B_\alpha$ $\beta \cdot B_\beta$ $\gamma \cdot B_\gamma$	($\alpha+1$) $(T+B_\alpha)$ $\frac{1}{2}$	($\alpha+1$) $(T+B_\alpha)$ $\frac{1}{2}$	($\alpha+1$) $(T+B_\alpha)$ $\frac{1}{2}$
	$B \frac{1}{2}$	T	A
	(α) $(T+B_\alpha)$	$\frac{1}{2}$	M
	E_α	/	
	(α) $(T+B_\alpha)$	F	
	$\frac{1}{2}$	TA	
	($\beta+1$) $(T+B_\beta)$	$\frac{1}{2}$	
	: $\frac{1}{2}$	T	
	(β) $(T+B_\beta)$	F	
	$A \frac{1}{2}$	$T A$	
	(r)	Q	
	$H J$	P	
	$U \frac{1}{2}$	$T \frac{1}{2}$	
	($\gamma+1$) $(T+B_\gamma)$	A	
	$I \frac{1}{2}$	$T \frac{1}{2}$	
	(γ) $(T+B_\gamma)$	A	
{READ}	$\alpha \cdot 0$ $0 \cdot B$ $\gamma \cdot 0$	(αb) $(T+B)$ $\frac{1}{2}$	
{WRITE}			where $[ab]_0^{39}$
P I	$(T+B)$ B		Q_I is set = (transf. and
Q I	$(T+B)$ B		check) during trans-
P I T C			lation and
P I T A			$[JJ]_0^{19} = M\$\$\$$
P I / :			in FLOATER/B.
Q I / :			
/ / / V			
J J / Q			
HALT	///G		
VOID	///T\$		

TRANS CODE

Real Code Equivalents of TC Instructions

SUBT Same as ADDN but with $\left[\frac{r-2}{r}\right] \equiv (\beta)(T+B\beta)^N$.

MULT $[r+1] = Y J / P$.
 DIVN $[r+1] = P J / P$.

1
T

$$(\alpha) \quad (T+B)$$

2
Q
/ **P**
M (4) **J.**

$$\frac{1}{2} \cdot T^{(T+B_\gamma)} \cdot (T+1)^{\gamma}$$

ZERO	$\alpha \cdot B$	0.00	0.0	(Y)	$(T+B_Y)$
				N D	T

(λ)	(T+B)
FD	T
($\lambda+1$)	(T+B)

N D T / where $[ND]_o^{39} = \frac{1}{111111111\bar{2}}$

(x)	(T+B)	A	$[CD]_o^{19} = \frac{1}{11110} \text{ in}$
FD	T	/	
(x+1)	(T+B)	A	FLOATER/A

COKE

r+1	$(r+3) / :$
r+2	A : / Q
r+3	ZN /
r+4	LN /
r+5	$(r+7) / :$
r+6	E : / Q
r+7	S : /

false line for FLOATER/A
false line for FLOATER/B

Backwards, but Backwards to another

TRNS	$\lambda \cdot 0$	$0.2B$	0.0	$r+1$	$DJ(T+B)G$	r	$DJ(T+B)G$
				$E: / O$		$E: / O$	
				$S: / Q$		$S: / Q$	
				$T: / \#$		$(r+3): \#$	
				$P: / P$		$GS: / P$	
				$(r+5): \#$		$(Link corres-$	
				$(same$		$ponding to \lambda)$	
				track) @			

$$\frac{d}{d\lambda} \mathbb{E}[I_1(\lambda)] = -\frac{1}{\lambda^2} \mathbb{E}[I_1(\lambda)]$$

R+1	E ₈ /M ₂
R+2	S ₈ / \mathbb{Q}
R+3	// T ₈
R+4	(R+5)/P
R+5	(\bar{x}) //
R+6	(same track)@/

where $[D_J] = A \text{ // } r$ in FLOATER/B and
 $\bar{x} = \text{control entry corresponding to } x.$
A test is made that $r \neq GE$. If $r = GE$,
// is made to precede the instructions
so as not to split the link.

//~~THIS~~ made to precede the instructions so as not to split the link.

LOOP $\alpha, 0, 0.B, 0.0$ (ab) (T+B) 0 where $[ab]^{12} = 3 \cdot (\alpha-1)$

NoteL. LOOP essentially sets B-line B to count & times, as well as to modify X, Y or Z addresses. The B-conditional TRNS instruction mentions B-line B by subtracting 3 from it, thus enabling it, in the next cycle, to pick up the next floating number 3 machine lines back in an electronic page.

Note 2. The two instructions

have the effect of a normal B-conditional control transfer.

3. Arithmetical operations may be carried out on integers by using the various B-line instructions, but care must be taken not to confuse these with the arithmetic instructions, proper (ADDN, KOMP etc.) which operate on 60-bit floating binary numbers.

BSET O.B $\beta \cdot 0 \quad 0 \cdot 0$ $(ab)(T+B)^0_0$ where $[ab]_0^{19} = \beta$
 $O \cdot B \quad 0 \cdot 0 \quad Y \cdot 0$ $(r+2)(T+B)_0$

INC B O.B $\#A \cdot 0 \quad 0 \cdot 0$ $(ab)(T+B)_G$ where $[ab]_0^{19} = -\beta$

JOTB O.B O.O Y.O $(Y+2)(T+B)_B$

NEGB O.B $\beta \cdot 0 \quad 0 \cdot 0$ $(ab)(T+B)^G_0$ where $[ab]_0^{19} = \beta$
 $O \cdot B \quad 0 \cdot 0 \quad Y \cdot 0$ $(r+2)(T+B)_G$

PRNT $\alpha \cdot B \quad \beta \cdot 0 \quad Y \cdot 0$	r $r+1 \quad PI \quad TA$ $r+2 \quad (r+10)LO$ $r+3 \quad (r+9)WO$ $r+4 \quad (r+4)QO$ $r+5 \quad GS/P$ $r+6 \quad XA//$ $r+7 \quad TN//$ $r+8 \quad S://$ $r+9 \quad (\alpha-1)//$ $r+10 \quad (Y)//$ $r+11 \quad -\{E\}/(\beta-1)$ $r+12 \quad (B\alpha-1)/(\beta-1)$ $r+13 \quad UJ/J$ $r+14 \quad XD:/$	$(r+11)T/$ $(r+10)LO$ $(r+9)WO$ $(r+4)QO$ GS/P $XA//$ $TN//$ $S://$ $(\alpha-1)//$ $(Y)//$ $-\{E\}/(\beta-1)$ $(B\alpha-1)/(\beta-1)$ UJ/J $XD:/$
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False line for TC:DECOUNT

where $[UJ]_0^{39} = W$
 $[\$D]_0^{19} = ... T.$

FNTN $\alpha \cdot O \quad \beta \cdot B \beta \quad Y \cdot BY$	$(\beta+1)(T+B\beta)^{\frac{1}{2}}$ $E \frac{1}{2} T A$ $(\beta) (T+B\beta)^{\frac{1}{2}}$ $/ \frac{1}{2} T A$ $(r) Q O$ $r+1 \quad G S / P$ $\# //$ $(track)@/$ $E \frac{1}{2} T \frac{1}{2}$ $(Y+1) (T+B_Y) A$ $/ \frac{1}{2} T \frac{1}{2}$ $(Y) (T+B_Y) A$	$(\beta+1)(T+B\beta)^{\frac{1}{2}}$ $E \frac{1}{2} T A$ $(\beta) (T+B\beta)^{\frac{1}{2}}$ $/ \frac{1}{2} T A$ $(r) Q O$ $r+1 \quad G S / P$ $\# //$ $(track)@/$ $E \frac{1}{2} T \frac{1}{2}$ $(Y+1) (T+B_Y) A$ $/ \frac{1}{2} T \frac{1}{2}$ $(Y) (T+B_Y) A$
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Note: The FNTN routine must operate in SO and SI with control entry $\#$, and leave the answer in $[1/2]_0^{39}$, $[\@1/2]_0^{19}$.

Note In the TRNS, PRNT and FNTN instructions a linking sequence to the RCS/T occurs, and it is important that the first short line of the link should not be placed in $\#E$.

During translation, a test is made for this contingency, and an extra dummy instruction inserted prior to the machine orders quoted above; should it arise.